

# Lezione 1: Prime nozioni sugli insiemi

**DEF.1** L'insieme  $A$  è vuoto se non gli appartiene alcun elemento.

**DEF.2** Dati 2 insiemi  $A, B$  diremo che  $A \subset B$  se ogni elemento di  $A$  è anche elemento di  $B$ .

$A = B$  se  $A \subset B$  e  $B \subset A$

$$A = \{1, 3, -2\}$$

$$B = \{x \in \mathbb{Z} \mid \exists \text{divisore } x\}$$

$$A = \left\{ 1, \frac{1}{2}, \frac{1}{3}, \frac{1}{4}, \dots, \frac{1}{n}, \dots \right\}$$

$$A = \left\{ \frac{1}{n} \mid n \in \mathbb{N} - \{0\} \right\}$$

$$A = \{ f(n) \mid n \in B \}$$

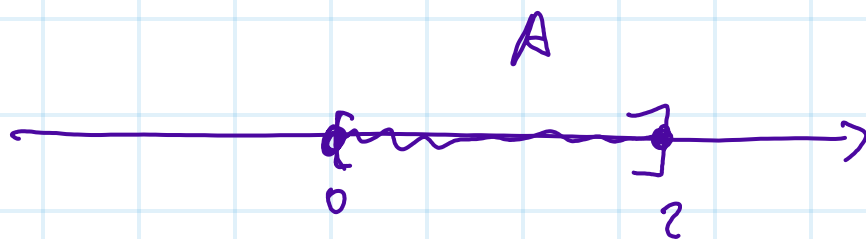
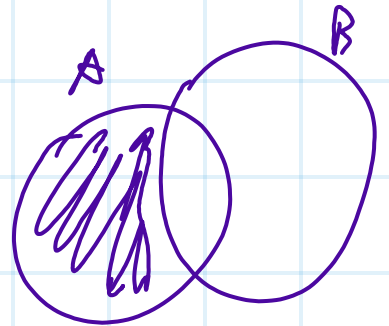
DEF. DATI 2 INSIEMI  $A, B \subset U$  DEFINIAMO

$$A \cup B = \{ x \in U \mid x \in A \text{ o } x \in B \}$$

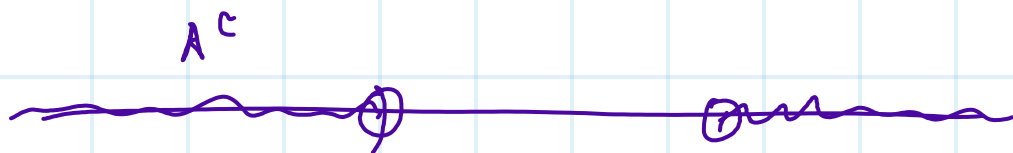
$$A \cap B = \{ x \in U \mid x \in A \text{ e } x \in B \}$$

$$\rightarrow A - B = \{ x \in U \mid x \in A \text{ ma } x \notin B \}$$

$$A \times B = \{ (x, y) \mid x \in A \text{ e } y \in B \}$$



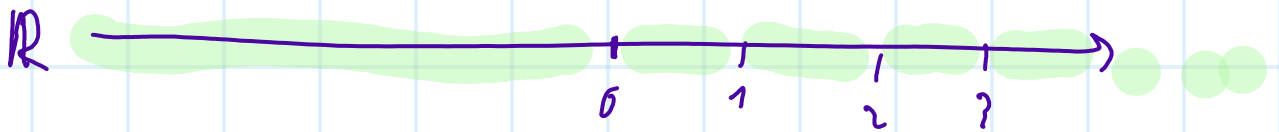
$$A^c = (-\infty, 0) \cup (2, +\infty)$$



DEF. DATO  $A \subset U$  DEFINIAMO  $A^c = U - A$

$\mathbb{N}$

$\mathbb{N}^c$



$U = \mathbb{R}$

$$\mathbb{N}^c = (-\infty, 0) \cup (0, 1) \cup (1, 2) \cup \dots \cup (n, n+1) \cup \dots$$

$U = \mathbb{Z}$

$$\mathbb{N}^c = \{-1, -2, -3, \dots, -n, \dots\}$$

**T.1** (DISTRIBUTIVITÀ)

DATI  $A, B, C \subset U$

Allora

$$A \cap (B \cup C) = (A \cap B) \cup (A \cap C)$$

$$A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$$